

# Deep Joint Source-Channel Coding and Modulation for Underwater Acoustic Communication

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# JSCC

- Ordinary image transmission systems



- ◆ Employ two-step encoding

- Joint Source-Channel Coding (**JSCC**)



- ◆ Images are converted directly to the transmitted bits

# JSCCM

## Joint Source-Channel Coding and Modulation (JSCCM)



- **Encoder**  $f_{\text{enc}} : \mathbb{R}^{H \times W \times 3} \rightarrow \mathbb{C}^{K \times 1}$

- ◆ Outputs **complex symbols**  $s$  from the input **image**  $x$

- **Decoder**  $f_{\text{dec}} : \mathbb{C}^{K \times 1} \rightarrow \mathbb{R}^{H \times W \times 3}$

- ◆ Outputs an **images**  $\tilde{x}$  from the input **complex symbols**  $\tilde{s}$

# Deep JSCCM

## JSCCM based on Deep Learning (**Deep JSCCM**)[1]

- Parameterization with deep neural networks (DNNs)
  - ◆  $f_{\text{enc},\theta}$ : Encoder function ,  $f_{\text{dec},\theta}$ : Decoder function
- The set of parameters  $\theta$  are learned via backpropagation
  - ◆ The error between input and output images are minimized
  - ◆ Utilize stochastic gradient descent (SGD) type optimizers
- Superiority over conventional methods has been reported[1]

[1] E. Bourtsoulatze et al., in *IEEE Trans. Cogn. Commun. Netw.*, vol. 5, no. 3, pp. 567–579, 2019.

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  - ◆ Utilize stochastic gradient descent (SGD) type optimizers
- Superiority over conventional methods has been reported[1]
- However, previous works assume simple theoretical channels:
  - ◆ AWGN and Slow Rayleigh fading channels

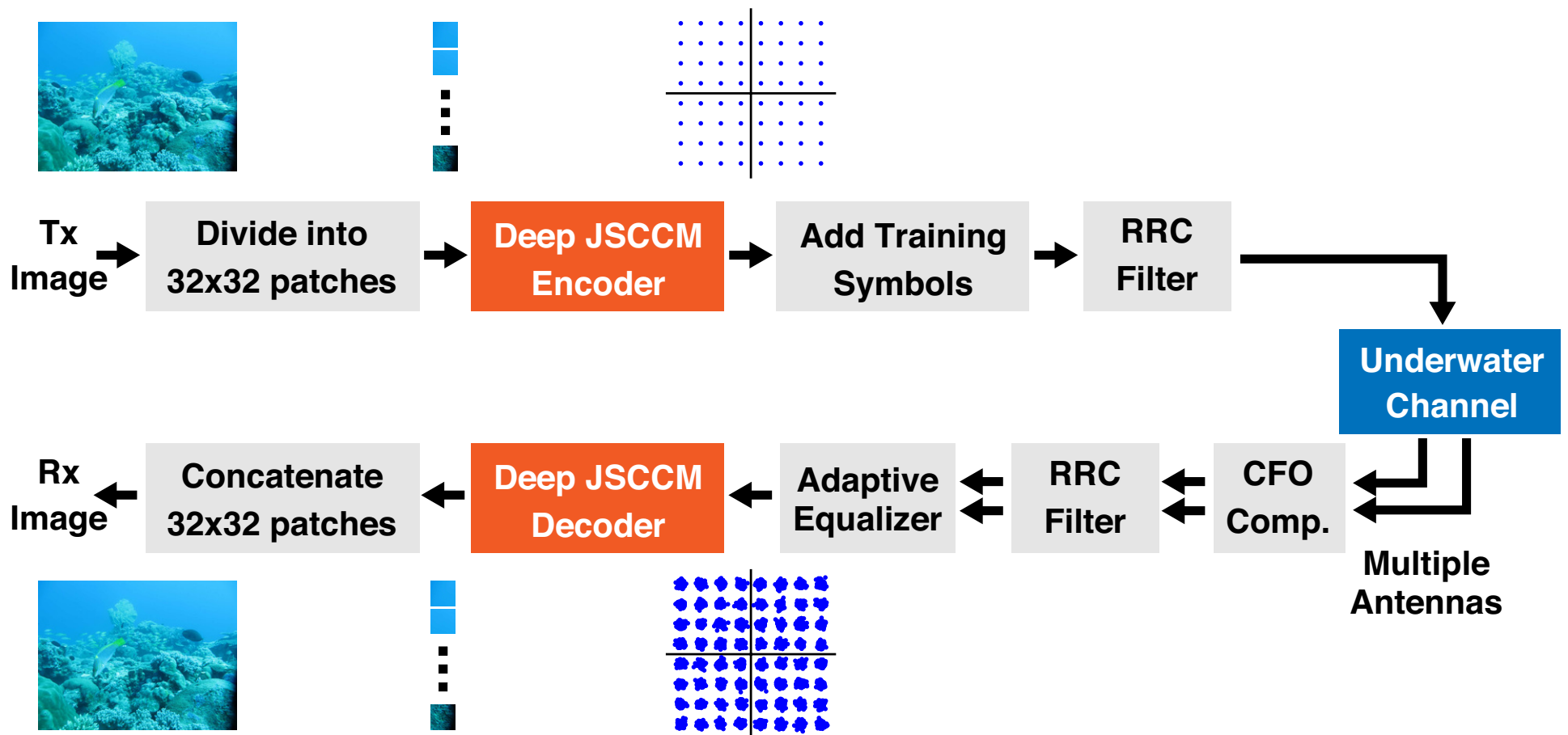
# Overview of This Work

- We extend the deep JSCCM technique to **underwater acoustic image transmission**
- Underwater image transmission is a fairly challenging task
  - ◆ Limited transmission rate due to narrow bandwidth
  - ◆ Severe intersymbol inference (ISI) by long-delay multipaths
- We present a new deep JSCCM approach incorporating
  - ◆ Long-delay multipath communication channel
  - ◆ Practical transmitter and receiver filters
  - ◆ Time-domain adaptive equalizer (TD-AE) to mitigate ISI
- Effectiveness of the proposed scheme is shown with simulation

# **System Model and Proposed Method**

# System Overview

- The system overview is shown below
  - ◆ Single-Input-to-Multi-Output (SIMO) channel





# Channel Model

$\mathbf{x} \in \mathbb{C}^{1 \times N_s}$  : Transmission signal vector ( $N_s$ : # of samples)

$\mathbf{y}_i \in \mathbb{C}^{1 \times N_s}$ : Reception signal vector ( $i$ th antenna),  $\mathbf{Y}$ : Matrix of ( $\mathbf{y}_i$ )

- We consider the following linear AWGN channel model

$$\mathbf{Y} = \mathbf{H}\mathbf{x} + \mathbf{Z}$$

$\mathbf{H}$ : Channel matrix,  $\mathbf{Z}$ : AWGN matrix

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$$\mathbf{Y} = \mathbf{H}\mathbf{x} + \mathbf{Z} \quad \mathbf{H}: \text{Channel matrix, } \mathbf{Z}: \text{AWGN matrix}$$

- $\mathbf{H}$  consists of block matrices  $\mathbf{H}_i$  ( $i$ : Antenna index)[2]

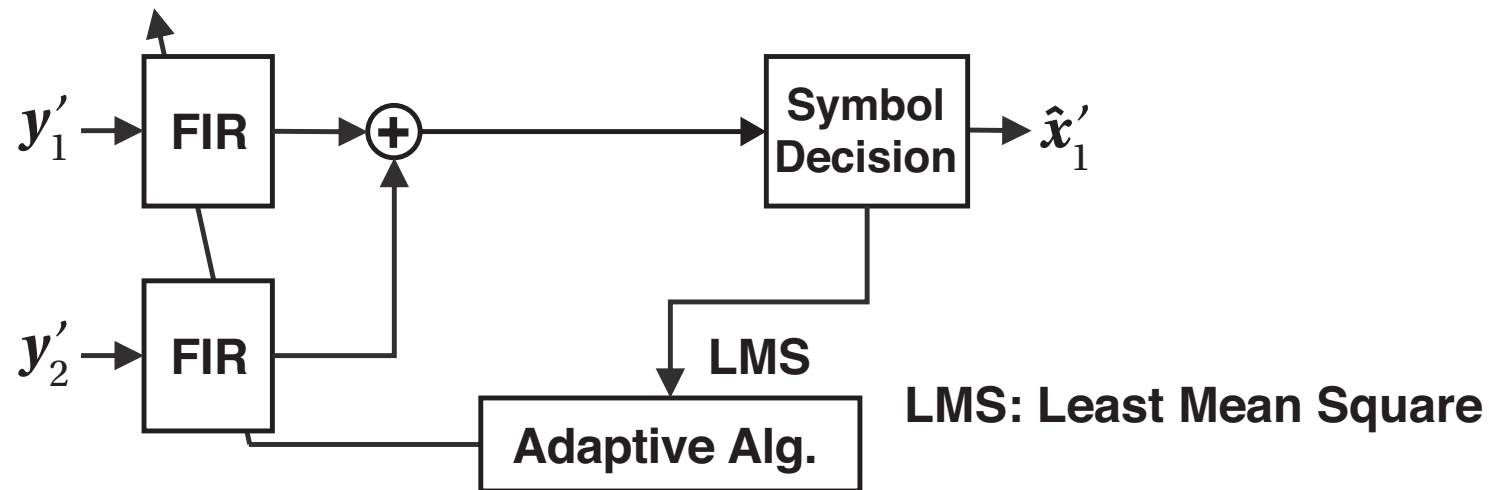
$$h_i^{(k,l)} = \sqrt{L_i^{(k,l)}} \exp \left[ j(2\pi f_i^{(k,l)} k T_s + \phi_i^{(k,l)}) \right]$$

Diag. elements: Direct wave, Non-diag. elements: Delayed wave

$L_i^{(k,l)}$ : Relative power of delayed wave,  $f_i^{(k,l)} := f_d \cos \alpha_i^{(k,l)}$ ,  $f_d$ : Doppler freq.  
 $T_s$ : Sampling freq.,  $\phi_i^{(k,l)}$ : Initial phase,  $\alpha_i^{(k,l)}$ : Antenna incident angle

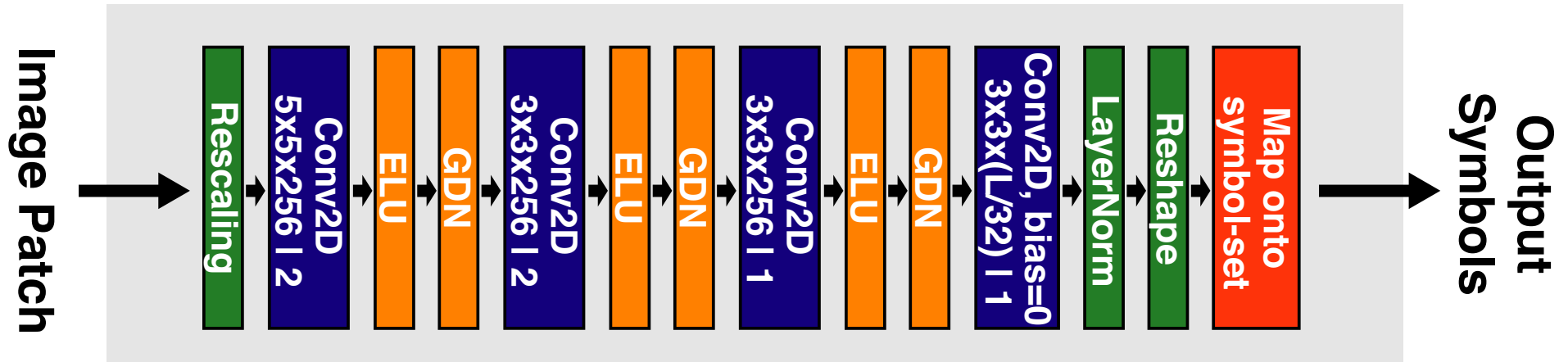
[2] K. Shima et al., in *IEEE Access*, vol. 9, pp. 18361–18372, 2021.

# Time-Domain Adaptive Equalizer (TD-AE)



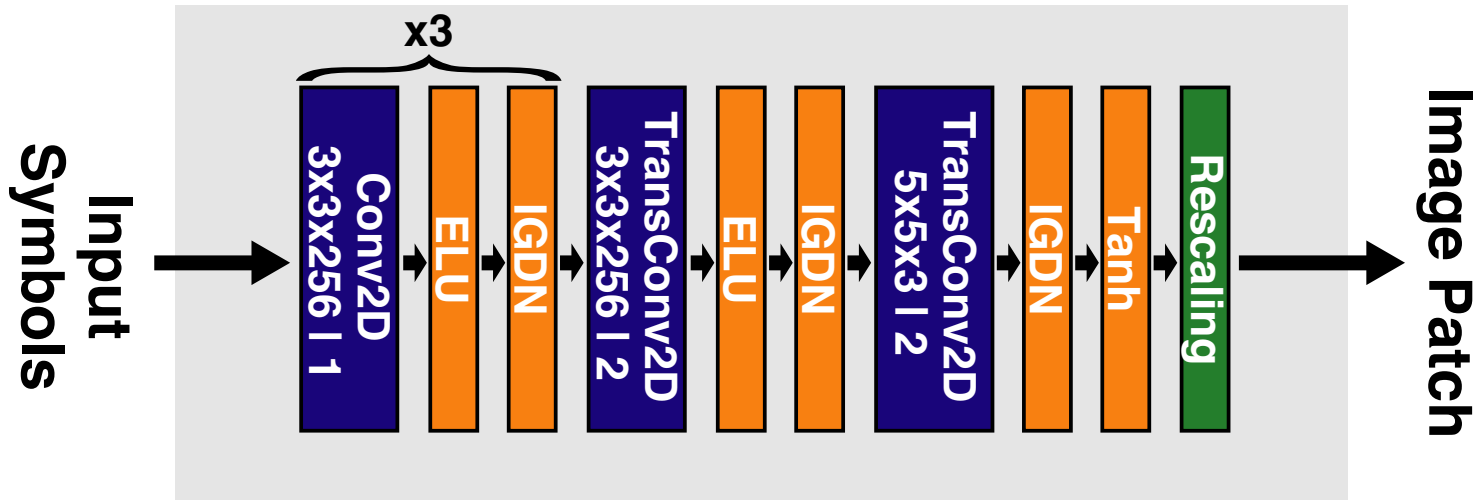
- Finite impulse response (FIR) filter exists for each antenna
  - ◆ FIR filters' outputs are combined
- The coefficients of the FIR filters are updated successively based on symbol-decision feedback

# JSCCM Encoder



- ◆ Conv2D: Convolution layer (Notation: kernel\_shape | strides)
- ◆ ELU: Exponential Linear Unit
- ◆ GDN: Generalized Divisive Normalization
- ◆ Map onto symbol-set ★ Necessary to employ the TD-AE
  - Outputs the nearest point on a (trained) symbol set  $S \subset \mathbb{C}^M$  ( $M$ : # of candidate symbols)

# JSCCM Decoder



- ◆ TransConv2D: Transposed convolution layer  
(Notation: kernel\_shape | strides)
- ◆ IGDN: Inverse Generalized Divisive Normalization

# Training method (1)

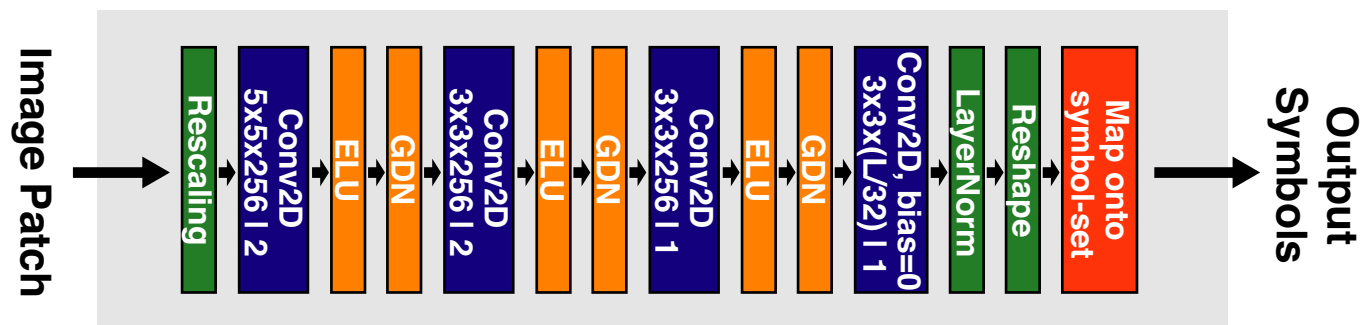
- Non-differentiable functions in the system
  - ◆ Transmitter and receiver filters
  - ◆ Linear AWGN communication channel
  - ◆ TD-AE of the receiver
- For a non-differentiable function  $\psi$ ,  
the following procedure enables backpropagation
  - ◆ Consider the relation  $y = \psi(x)$
  - ◆ Replace this relation by the following equation:

$$y = x + \text{sg}(\psi(x) - x)$$

sg: Stop gradient operator (the input is regarded as a constant)

# Training method (2)

- We employ the Adamax Optimizer[3]
- Loss function: Mean squared error (MSE) of received image
  - ◆ Exception: Symbolset  $S$  in the encoder's last layer



- Training of the symbol set  $S$ 
  - ◆ Jointly trained with other layers (using the Adamax optimizer)
  - ◆ Loss function: MSE of the layer's input and output (in  $S$ )

[3] D. Kingma and J. Ba, in *Proc. ICLR 2015*, 2015.

# Training Method (3)

- Our model contains complicated non-differentiable layers
  - ◆ Long-delay multipath communication channel
  - ◆ Practical transmitter and receiver filters
  - ◆ Time-domain adaptive equalizer (TD-AE) to mitigate ISI
- ➡ It is difficult to train the encoder/decoder from scratch
- Two-step training procedure to overcome this difficulty
  - ◆ **Pre-Training**: Employs a simple AWGN channel model
    - ➡ Suitable initial values for the parameters are obtained
  - ◆ **Main-Training**: Employs the targeted system model



# Numerical Simulation

# Simulation Parameters

- We employed a two-path channel model

For comparison, we employed

- ◆ Image compression:  
JPEG, JPEG2000
- ◆ Modulation:
  - QPSK, 16QAM
- ◆ Forward error correction:
  - Turbo code (1/2, 3/4)

(Channel parameters are taken from [4])

Item	Value
# of antennas	2
Carrier freq.	300 kHz
System bandwidth	200 kHz
# of training symbols	4000
Roll-off rate of RRC filters	0.2
# of FIR taps in TD-AE	21
SNR	18–26 dB
Relative moving speed	1 m/s
Relative delay of delay wave	520 samples
Relative power ratio $L_i^{(k,l)}$	0.4
Speed of sound	1500 m/s
Incident angle $\alpha_i^{(k,l)}$	Random
Initial phase $\phi_i^{(k,l)}$	Random

[4] H. Fukumoto et al., in *Proc. Global Oceans 2020*, 2020.

# Datasets

- Training dataset : Downsampled Imagenet<sup>[5]</sup>
  - ◆ Consists of many  $32 \times 32$  color images  
(1,281,167 for training and 50,000 for validation)

[5] P. Chrabaszcz et al., arXiv preprint, arXiv:1707.08819, 2017.

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- Test dataset : Underwater image dataset[6] (890 images)
  - ◆ Preprocessed to obtain equal-size images
    - Extract images with  $(\text{width}/\text{height}) \geq 4/3$  (825 images)
    - Resize and crop to obtain images with  $256 \times 192$  pixels

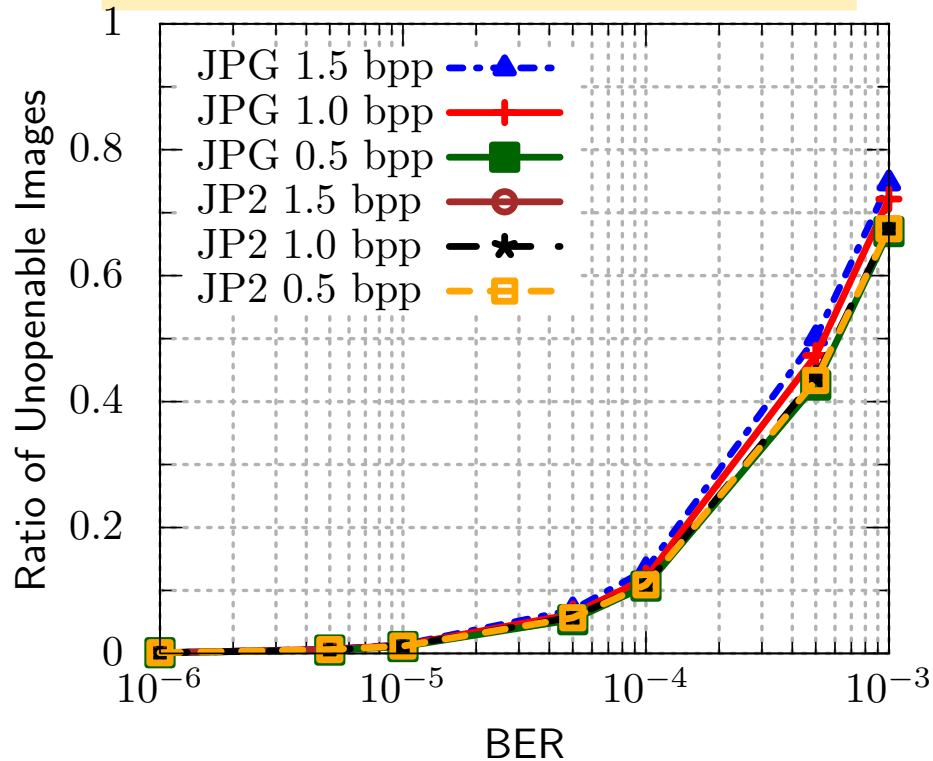
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# Selection of Baseline Scheme (1)

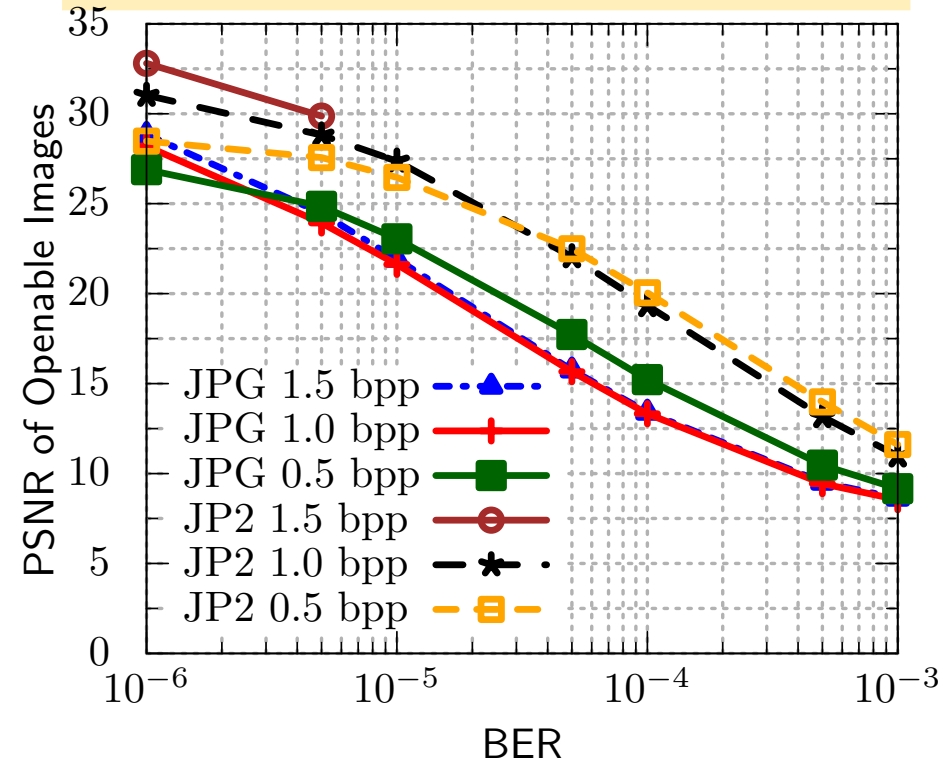
- Effect of the bit error rate (BER) on the received image quality

Ratio of unopenable images



bpp: bit per pixel (compression metric)

Received image quality (PSNR)

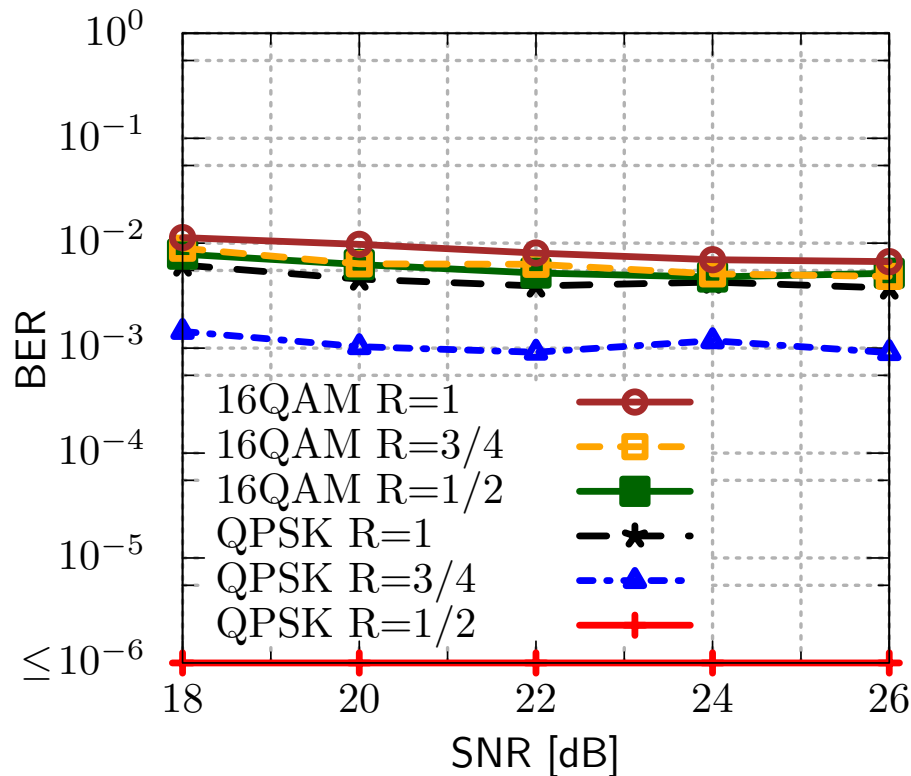


$$\text{PSNR} = 10 \log_{10} \frac{255^2}{\text{MSE}}$$

**$\text{BER} \leq 10^{-6}$  is required to stably receive JPEG/JPEG2000 images**

# Selection of Baseline Scheme

- BER curves for QPSK and 16QAM (R: Code rate)



◆ QPSK ( $R = 1/2$ ):

■ The only scheme with  $\text{BER} \leq 10^{-6}$   
(among those in the figure)

➡ The baseline scheme  
we employ for comparison

In what follows, we suppose  
 $\text{BER} = 0$  for  $\text{SNR} \geq 18\text{dB}$

# Performance Evaluation (1)

- Trained the encoder/decoder with 0.5 symbols per pixel (spp)
  - ◆ Each  $256 \times 192$  image is converted to 24,576 symbols
- The symbol-set size  $|S|$  was set to 256
- 70,000 training steps (including 40,000 pre-training steps)

## Comparison of the proposed JSCCM with the baseline scheme

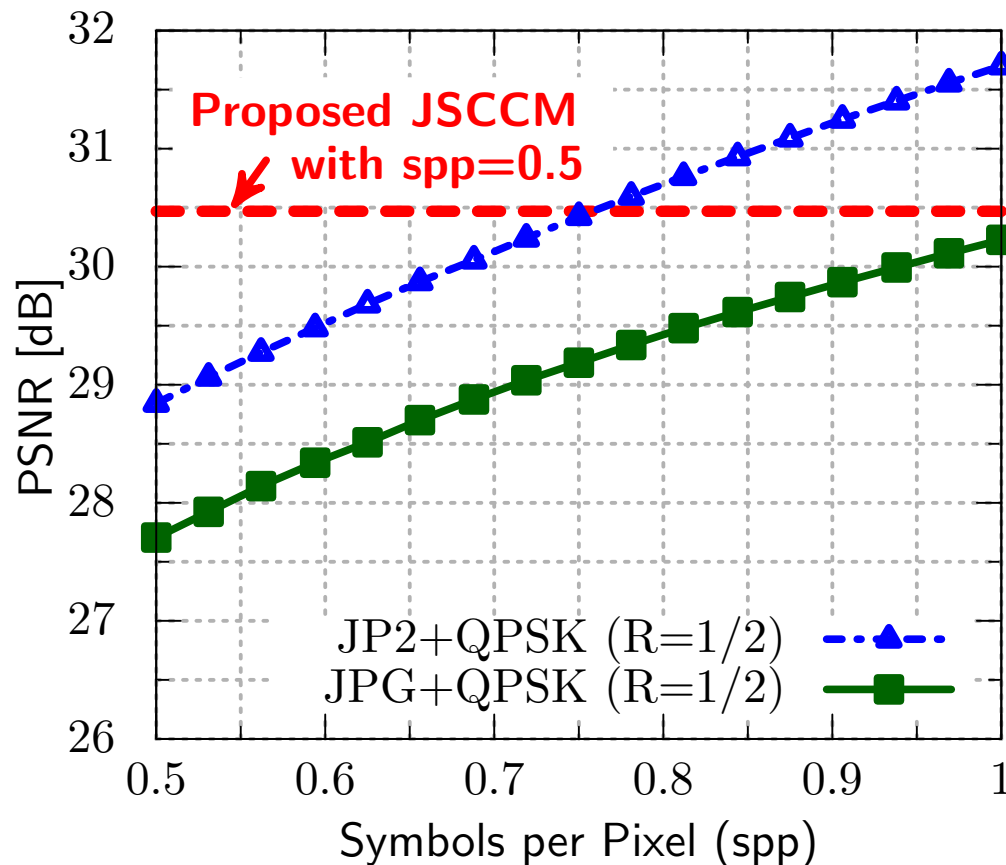
- Average PSNR of received images for SNR = 18 dB

Proposed JSCCM	QPSK + JPEG2000	QPSK + JPEG
<b>30.470</b>	28.842	27.706



# Performance Evaluation (2)

## Comparison of the proposed JSCCM with the baseline scheme



(Figure) Effect of the # of transmitted symbols on the received image quality

- To achieve the same quality as the proposed JSCCM
- ◆ For JPEG2000, we need ~ 50% additional symbols
- ◆ For JPEG, we need ~ 100% additional symbols

➡ **Large improvement in the transmission rate by the proposed JSCCM**

# Summary

- Proposed a deep JSCCM scheme for underwater acoustic image transmission, considering
  - ◆ Long-delay multipath communication channel
  - ◆ Practical transmitter and receiver filters
  - ◆ Time-domain adaptive equalizer (TD-AE) to mitigate ISI
- Showed its effectiveness with simulation:
  - ◆ ~ 50% speed up compared with JPEG2000+QPSK
  - ◆ ~ 100% speed up compared with JPEG+QPSK
- Next step: Performance evaluation with real implementation

# Example of Received Images

**Original**



**Proposed JSCCM**



**JPEG2000 + QPSK**



**JPEG + QPSK**



# Trained Symbolset

